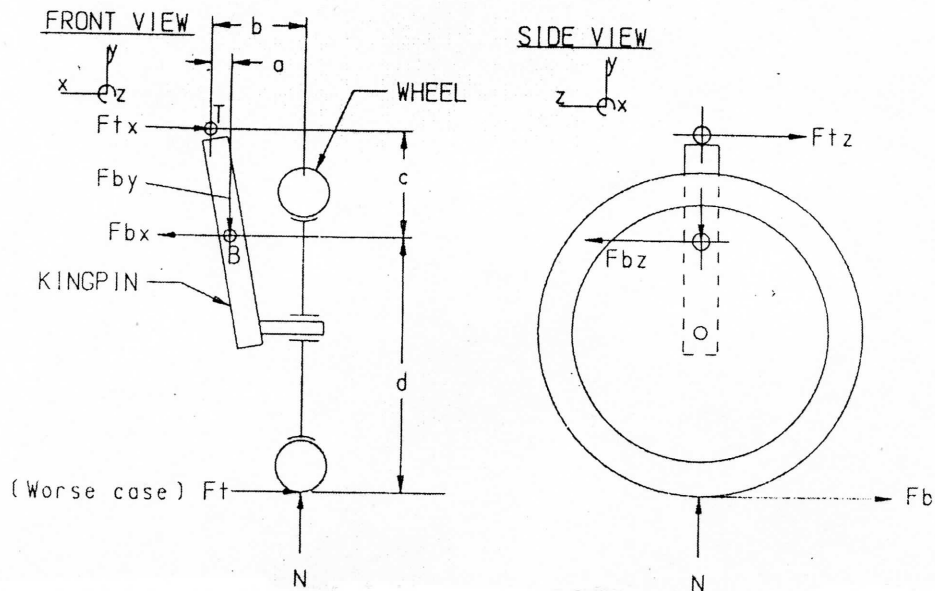


STATIC ANALYSIS - FRONT SUSPENSION - 4-WHEEL



For static conditions, with an equal weight distribution on 4 wheels, $N = W/4$. If a 25% weight shift to the front wheels is assumed during braking, $N = 1.25*W/4$ on each front wheel.

For a static 2-G bump load, $N = 2*W/4$ on each wheel

For a 2-G bump load with a 25% weight shift, $N = 2.5*W/4$ on each front wheel

For a static 1-G turning load, $F_t = w/4$ on each front wheel.

For a worse case condition this load is outward on each front wheel.

For a 1-G braking assuming a 25% increase braking on front wheels, $F_b = 1.25*W/4$ on each front wheel for 4-wheel braking, and $F_b = W/2$ on each front wheel for front wheel braking only.

Front view

Sum of forces in y direction: $F_{by} = N$ _____ Eq(1)

Sum of the moments about T = 0

$N*b + F_t*(c+d) - F_{by}*a - F_{bx}*c = 0$ _____ Eq(2)

Sum of the moments about B = 0

$N*(b-a) + F_t*d - F_{tx}*c = 0 = 0$ _____ Eq(3)

Side view

Sum of the moments about T = 0

$F_b*(c+d) - F_{bz}*c = 0$ _____ Eq(4)

Sum of the moments about B = 0

$F_b*d - F_{tz}*c = 0$ _____ Eq(5)

For 2-1-1 loading, substitute chosen values for N, F_t , and F_b

The axial load on the bottom rod end is $F_a = F_{bx}$ (tensile) and the shear load is the vector sum of F_{by} and F_{bz} , therefore,

$$F_s = \sqrt{(F_{by})^2 + (F_{bz})^2}$$

The axial load on the top rod end is $F_a = F_{tx}$, (compressive) and the shear load is $F_s = F_{tz}$